Design Principles of Programming Languages

Case Study: Imperative Objects
(slides based on Benjamin Pierce’ slides)

Zhenjiang Hu, Haiyan Zhao, Yingfei Xiong
Peking University
Change!!

We have focuses on developing tools for defining and reasoning about programming language features in the past 7 weeks.

Now it’s time to use these tools for something more ambitious.
Plan

1. Identify some characteristic “core features” of object-oriented programming

2. Develop *two different analysis* of these features:
   2.1 A *translation* into a lower-level language
       Similar to compiler but translating to a well-formed formalization understood by everyone.
   2.2 A *direct*, high-level formalization of a simple object-oriented language (“Featherweight Java”)


The Translational Analysis

The first will be to show how many of the **basic features** of object-oriented languages

*dynamic dispatch*
*encapsulation of state*
*inheritance*
*late binding (this)*
*super*

can be understood as “**derived forms**” in a lower-level language with a rich collection of **primitive features**:

*(higher-order) functions*
*records*
*references*
*recursion*
*subtyping*
The Translational Analysis

For *simple objects and classes*, this translational analysis works very well.

When we come to *more complex features* (in particular, classes with *this*), it becomes less satisfactory

- the more direct treatment in the following chapter
Concepts
The Essence of Objects

What “is” object-oriented programming?
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This question has been a subject of debate for decades. Such arguments are always inconclusive and seldom very interesting.
The Essence of Objects

What “is” object-oriented programming?

This question has been a subject of debate for decades. Such arguments are always inconclusive and seldom very interesting.

However, it is easy to identify some core features that are shared by most OO languages and that, together, support a distinctive and useful programming style.
Dynamic dispatch

Perhaps the most basic characteristic of object-oriented programming is *dynamic dispatch*: when an operation is invoked on an object, the ensuring behavior depends on the object itself, rather than being fixed once and for all (as when we apply a function to an argument).

Two objects of the *same type* (i.e., responding to the same set of operations) may be implemented internally in *completely different* ways.

Known as polymorphism in OO communities.
Example (in Java)

class A {
    int x = 0;
    int m() { x = x+1; return x; }
    int n() { x = x-1; return x; }
}
class B extends A {
    int m() { x = x+5; return x; }
}
class C extends A {
    int m() { x = x-10; return x; }
}

Note that \texttt{(new B()).m()} and \texttt{(new C()).m()} invoke completely different code!
Aside: multimethods

- Also known as multiple dispatch
- Dispatch an invocation based on multiple objects
- C# 4.0 multimethods

```csharp
class Thing {}
class Asteroid : Thing {}
class Spaceship : Thing {}

static void CollideWithImpl(Asteroid x, Asteroid y) {
    Console.WriteLine("Asteroid hits an Asteroid");
}
static void CollideWithImpl(Asteroid x, Spaceship y) {
    Console.WriteLine("Asteroid hits a Spaceship");
}
static void CollideWithImpl(Spaceship x, Asteroid y) {
    Console.WriteLine("Spaceship hits an Asteroid");
}
static void CollideWithImpl(Spaceship x, Spaceship y) {
    Console.WriteLine("Spaceship hits a Spaceship");
}
```
Encapsulation

In most OO languages, each object consists of some internal state *encapsulated* with a *collection of method implementations* operating on that state.

- state directly accessible to methods
- state invisible / inaccessible from outside the object
Encapsulation

In Smalltalk, encapsulation is mandatory; whereas in Java, encapsulation of internal state is optional. For full encapsulation, fields must be marked **protected**:

```java
class A {
    protected int x = 0;
    int m() { x = x+1; return x; }
    int n() { x = x-1; return x; }
}
class B extends A {
    int m() { x = x+5; return x; }
}
class C extends A {
    int m() { x = x-10; return x; }
}
```

The code `(new B()).x` is not allowed.
Aside: Objects vs. ADTs

An ADT comprises:

- A *hidden* representation type \( X \)
- A collection of operations for creating and manipulating elements of type \( X \)

*Similar* to OO encapsulation in that only the operations provided by the ADT are allowed to directly manipulate elements of the abstract type. But *different* in that there is just one (hidden) representation type and *just one implementation of the operations* — no dynamic dispatch.

Both styles have advantages.

**N.B.** : in the OO community, the term “*abstract data type*” is often used as more or less a synonym for “object type.” This is unfortunate, since it confuses two *rather different concepts.*
Subtyping and Encapsulation

The “type” (or “interface” in Smalltalk terminology) of an object is just the set of operations that can be performed on it (and the types of their parameters and results); it does not include the internal representation.

Object interfaces fit naturally into a subtype relation.

– An interface listing more operations is “better” than one listing fewer operations.

This gives rise to a natural and useful form of polymorphism: we can write one piece of code that operates uniformly on any object whose interface is “at least as good as I” (i.e., any object that supports at least the operations in I).
// ... class A and subclasses B and C as above...

class D {
    int p (A myA) { return myA.m(); }
}

... 
D d = new D();
int z = d.p (new B());
int w = d.p (new C());
Inheritance

Objects that share parts of their interfaces will typically (though not always) share parts of their behaviors.

To avoid duplication of code, the way is to write the implementations of these behaviors in *just one place*.

⇒ inheritance
Inheritance

Basic mechanism of inheritance: classes

A class is a data structure that can be

- instantiated to create new objects ("instances")
- refined to create new classes ("subclasses")

N.B.: some OO languages offer an alternative mechanism, called delegation or aggregation, which allows new objects to be derived by refining the behavior of existing objects.
Example of inheritance

class A {
    protected int x = 0;
    int m() { x = x+1; return x; }
    int n() { x = x-1; return x; }
}
class B extends A {
    int p() { x = x*10; return x; }
}

An instance of B has methods m, n, and p. The first two are inherited from A.
Example of aggregation

The Go language

```go
type A {
    m string
    n string
}
type B {
    A
    p string
}
```

An instance of B has methods m, n, and p, but B is not a subtype of A.
Late binding/open recursion

Most OO languages offer an extension of the basic mechanism of classes and inheritance called *late binding* or *open recursion*.

Late binding allows a method within a class to call another method via a *special “pseudo-variable” this*. If the second method is overridden by some subclass, then the behavior of the first method automatically changes as well.
Examples

class E {
    protected int x = 0;
    int m() { x = x+1; return x; }
    int n() { x = x-1; return this.m(); }
}

class F extends E {
    int m() { x = x+100; return x; }
}

Q:
- What does (new E()).n() return?
- What does (new F()).n() return?
Calling “super”

It is sometimes convenient to “re-use” the functionality of an overridden method.

Java provides a mechanism called super for this purpose.
Example

class E {
    protected int x = 0;
    int m() { x = x+1; return x; }
    int n() { x = x-1; return this.m(); }
}

class G extends E {
    int m() { x = x+100; return super.m(); }
}

What does \((\text{new } G()).n()\) return?
Getting down to details (in the lambda-calculus)
Objects

A data structure
  – encapsulating some internal state
  – offering access to this state
via a collection of methods.

The internal state is typically organized as a number of mutable instance variables that are shared among the methods and inaccessible to the outsiders.
Simple objects with encapsulated state

class Counter {
    protected int x = 1;  // Hidden state
    int get() { return x; }
    void inc() { x++; }
}

void inc3(Counter c) {
    c.inc(); c.inc(); c.inc(); c.inc();
}

Counter c = new Counter();
inc3(c);
inc3(c);
inc3(c);
c.get();

How do we encode objects in the lambda-calculus?
Objects built with $\lambda$-calculus

c = let x = ref 1 in

\{ get = \lambda _ : Unit. !x,
    inc = \lambda _ : Unit. x := succ(!x)\};

$\Rightarrow$ c : Counter

where

Counter = \{ get: Unit $\rightarrow$ Nat, inc: Unit $\rightarrow$ Unit \}

The abstraction of block evaluation of the method bodies
when the object is created.

– Allowing the bodies to be evaluated repeatedly
Using Objects

\[ \text{inc3} = \lambda c: \text{Counter. } (c.\text{inc unit;}\; c.\text{inc unit;}\; c.\text{inc unit}) ; \]
\[ \Rightarrow \text{inc3} : \text{Counter} \rightarrow \text{Unit} \]

\[ (\text{inc3 } c; \; \text{inc3 } c; \; c.\text{get unit}) ; \]
\[ \Rightarrow 7 : \text{Nat} \]
newCounter =
    λ_: Unit. let x = ref 1 in
    { get = λ_: Unit. !x,
      inc = λ_: Unit. x := succ(!x)};
⇒ newCounter : Unit → Counter

a function that creates and returns a new counter every time it is called.
Grouping Instance Variables

Rather than a single reference cell, the states of most objects consist of a number of *instance variables* or *fields*. It will be convenient (later) to group these into a single record (as a single unit).

\[
\text{newCounter} = \\
\lambda_\text{Unit}. \ \text{let } r = \{x = \text{ref } 1\} \text{ in} \\
\{ \text{get} = \lambda_\text{Unit}. \ ! (r.x), \ \\
\text{inc} = \lambda_\text{Unit}. \ r.x := \text{succ}(! (r.x)) \};
\]

The local variable \( r \) has type of *representation type*

\[
\text{CounterRep} = \{x: \text{Ref Nat}\}
\]
class Counter {
    protected int x = 1;
    int get() { return x; }
    void inc() { x += 1; }
}

class ResetCounter extends Counter {
    void reset() { x = 1; }
}

ResetCounter rc = new ResetCounter();
inc3(rc);
rc.reset();
inc3(rc);
rc.get();
Subtyping

ResetCounter =
{get: Unit → Nat, inc: Unit → Unit, reset: Unit → Unit};

newResetCounter =
\[\lambda _*: Unit.\ mathbf{let} \ r = \{ x = \ \text{ref} \ 1 \} \ \mathbf{in} \]
\[\{ \ \text{get} = \lambda _*: Unit. \ ! (r. x), \]
\[\quad \text{inc} = \lambda _*: Unit. \ r. x: = \text{succ}(! (r. x)), \]
\[\quad \text{reset} = \lambda _*: Unit. \ r. x: = 1 \};\]

\[\Rightarrow \ \text{newResetCounter} : Unit \rightarrow \text{ResetCounter} \]
Subtyping

rc = newResetCounter unit;

(inc3 rc; rc. reset unit; inc3 rc; rc. get unit);

⇒ 4: Nat

What is the difference with Java subtyping?
Java: nominal types
The definitions of `newCounter` and `newResetCounter` are identical except for the reset method.

This violates a basic principle of software engineering: *Each piece of behavior should be implemented in just one place in the code.*
Reusing Methods

Idea: could we just re-use the methods of some existing object to build a new object?

\[
\text{resetCounterFromCounter} = \\
\lambda c: \text{Counter}. \text{let } r = \{ x = \text{ref } 1 \} \text{ in} \\
\{ \text{get} = c.\text{get}, \\
\text{inc} = c.\text{inc}, \\
\text{reset} = \lambda _: \text{Unit}. r.x: = 1 \};
\]
Reusing Methods

**Idea:** could we just re-use the methods of some existing object to build a new object?

```latex
resetCounterFromCounter = \lambda c: \text{Counter}. \ \text{let } r = \{x = \text{ref } 1\} \text{ in } \\
\{ \text{get } = c.\text{get}, \ \\
\text{inc } = c.\text{inc}, \ \\
\text{reset } = \lambda _\_ : \text{Unit}. r.x: = 1\};
```

No: This doesn’t work properly because the `reset` method does not have access to the local variable `r` of the original counter.

$\implies$ classes
A class is a run-time data structure that can be

1. *instantiated* to yield new objects
2. *extended* to yield new classes
Classes

To avoid the problem we observed before, what we need to do is to separate the definition of the methods

counterClass =
λr: CounterRep.
  { get = _. Unit.! (r.x),
    inc = _. Unit.r.x: = succ(! (r.x))};
⇒ counterClass : CounterRep → Counter

from the act of binding these methods to a particular set of instance variables:

newCounter =
  λ_: Unit. let r = {x = ref 1} in
  counterClass r;
⇒ newCounter: Unit → Counter
Defining a Subclass

resetCounterClass =
  λr: CounterRep.
  let super = counterClass r in
  { get = super.get,
    inc = super.inc,
    reset = λ_: Unit. r.x: = 1};

⇒ resetCounterClass : CounterRep → ResetCounter

newResetCounter =
  λ_: Unit. let r = {x = ref 1} in resetCounterClass r;

⇒ newResetCounter : Unit → ResetCounter
Overriding and adding instance variables

class Counter {
    protected int x = 1;
    int get() { return x; }
    void inc() { x += 1; }
}

class ResetCounter extends Counter {
    void reset() { x = 1; }
}

class BackupCounter extends ResetCounter {
    protected int b = 1;
    void backup() { b = x; }
    void reset() { x = b; }
}
Adding instance variables

In general, when we define a subclass we will want to add new instance variables to its representation.

BackupCounter = \{ get: Unit \rightarrow Nat, \quad inc: Unit \rightarrow Unit, \\
             reset: Unit \rightarrow Unit, \quad backup: Unit \rightarrow Unit \};
BackupCounterRep = \{ x: \text{Ref Nat}, b: \text{Ref Nat} \};

backupCounterClass =
  \lambda r: \text{BackupCounterRep}. \\
  \text{let super = resetCounterClass r in} \\
  \{ get = \text{super.get}, \\
  inc = \text{super.inc}, \\
  \text{reset} = \lambda _: \text{Unit}. \quad r. x = ! (r. b), \\
  \text{backup} = \lambda _: \text{Unit}. \quad r. b = ! (r. x) \};

\Rightarrow \text{backupCounterClass : BackupCounterRep} \rightarrow \text{BackupCounter}
Aside

Notes:

- \texttt{backupCounterClass} both \textit{extends} (with \texttt{backup}) and \textit{overrides} (with a new \texttt{reset}) the definition of \texttt{counterClass}
- subtyping is essential here (in the definition of \texttt{super})

\[
\text{backupCounterClass} = \\
\lambda r: \text{BackupCounterRep}. \\
\text{let super} = \text{resetCounterClass } r \text{ in} \\
\{ \text{get} = \text{super.get}, \\
\text{inc} = \text{super.inc}, \\
\text{reset} = \lambda _: \text{Unit}. r. x = ! (r. b), \\
\text{backup} = \lambda _: \text{Unit}. r. b = ! (r. x) \};
\]
Calling super

Suppose (for the sake of the example) that we wanted every call to inc to first \textit{back up the current state}. We can avoid copying the code for backup by making inc use the backup and inc methods from super.

\[
\text{funnyBackupCounterClass} = \\
\lambda r: \text{BackupCounterRep}.
\quad \text{let } \text{super} = \text{backupCounterClass } r \text{ in}
\quad \{ \text{get} = \text{super}.\text{get},
\quad \text{inc} = \lambda _: \text{Unit}. \{ \text{super}.\text{backup } \text{unit}; \text{super}.\text{inc } \text{unit} \},
\quad \text{reset} = \text{super}.\text{reset},
\quad \text{backup} = \text{super}.\text{backup} \};
\]

\[
\Rightarrow
\text{funnyBackupCounterClass : BackupCounterRep } \rightarrow \text{BackupCounter}
\]
Calling between methods

What if counters have \texttt{set}, \texttt{get}, and \texttt{inc} methods:

\begin{verbatim}
SetCounter = \{ get: Unit \rightarrow Nat, set: Nat \rightarrow Unit, 
inc: Unit \rightarrow Unit \};
\end{verbatim}

\begin{verbatim}
setCounterClass = 
\lambda r: CounterRep. 
\{ get = \lambda _: Unit. ! (r . x), 
set = \lambda i: Nat. r . x: = i, 
inc = \lambda _: Unit. r . x: = (\text{succ} r . x) \};
\end{verbatim}
Calling between methods

What if counters have **set**, **get**, and **inc** methods:

\[
\text{SetCounter} = \{ \text{get: Unit } \rightarrow \text{ Nat, set: Nat } \rightarrow \text{ Unit, inc: Unit } \rightarrow \text{ Unit} \};
\]

\[
\text{setCounterClass} = \lambda r: \text{ CounterRep.}\\
\{ \text{get} = \lambda _\_ : \text{ Unit}. \! (r.x), \quad \text{set} = \lambda i: \text{ Nat}. \ r.x : = i, \quad \text{inc} = \lambda _\_ : \text{ Unit}. \ r.x : = (\text{succ} \ r.x) \};
\]

**Bad style**: The functionality of **inc** could be expressed in terms of the functionality of **get** and **set**.

Can we rewrite this class so that the **get/set** functionality appears just once?
Calling between methods

In Java we would write:

class SetCounter {
    protected int x = 0;
    int get () { return x; }
    void set (int i) { x = i; }
    void inc () { this.set( this.get() + 1 ); }
}

Better?

```
setCounterClass =
  λr: CounterRep.
    fix
      (λthis: SetCounter.
        { get = λ_: Unit. ! (r.x),
          set = λi: Nat. r.x = i,
          inc = λ_: Unit. this.set (succ (this.get unit)))
      )
```

**Check:** the type of the inner $\lambda$-abstraction is $\text{SetCounter} \rightarrow \text{SetCounter}$, so the type of the fix expression is $\text{SetCounter}$.

This is just a definition of a group of *mutually recursive functions*.

Is there any problem of this implementation?
Review: General Recursions

- Introduce “fix” operator: \( \text{fix } f = f(\text{fix } f) \)

(It cannot be defined as a derived form in simply typed lambda calculus)

\[
\begin{align*}
\text{New syntactic forms} \\
t & ::= \ldots \\
& \quad \text{fix } t \\
\text{fixed point of } t
\end{align*}
\]

\[
\begin{align*}
\text{New evaluation rules} \\
& \quad \text{fix } (\lambda x : T_1 . t_2) \\
& \quad \rightarrow [x \mapsto (\text{fix } (\lambda x : T_1 . t_2))] t_2 \\
& \quad \text{(E-FixBeta)} \\
& \quad t \rightarrow t' \\
& \quad \text{(E-Fix)}
\end{align*}
\]

\[
\begin{align*}
\text{New typing rules} \\
& \quad \Gamma \vdash t : T \\
& \quad \Gamma \vdash \text{fix } t_1 : T_1 \\
& \quad \Gamma \vdash t_1 : T_1 \rightarrow T_1 \\
& \quad \Gamma \vdash \text{fix } t_1 : T_1 \\
& \quad \text{(T-Fix)}
\end{align*}
\]

\[
\begin{align*}
\text{New derived forms} \\
\text{letrec } x : T_1 = t_1 \text{ in } t_2 \\
& \quad \text{def } \Rightarrow \text{let } x = \text{fix } (\lambda x : T_1 . t_1) \text{ in } t_2
\end{align*}
\]
Better...

Note that the *fixed point* in

```plaintext
setCounterClass =
    λr: CounterRep.
    fix
        (λthis: SetCounter.
            {get  = λ_: Unit. !(r.x),
             set = λi: Nat. r.x: = i,
             inc = λ_: Unit. this.set (succ (this.get unit)))}
```

is “closed” — we “tie the knot” when we build the record (arranging that the very record we are constructing is the one passed as *this*), and the use of fix is entirely internal to `setCounterClass`

Polymorphism is not properly implemented.
Better...

Idea: move the application of \texttt{fix} from \textit{the class definition}...

\begin{verbatim}
setCounterClass = lambda r: CounterRep.
    fix
        (lambda this: SetCounter.
            {get = lambda _: Unit. ! (r.x),
                set = lambda i: Nat. r.x = i,
                inc = lambda _: Unit. this.set (succ (this.get unit)))};

... to \textit{the object creation function}:

newSetCounter = lambda _: Unit. let r = {x = ref 1} in
    fix (setCounterClass r);
\end{verbatim}

In essence, we are switching the order of \texttt{fix} and \texttt{\lambda r: CounterRep}...
Better...

Note that we have changed the types of classes from...

```plaintext
setCounterClass =
  \l r: CounterRep.
  \l this: SetCounter.
  {get = \l_: Unit. !(r.x),
   set = \li: Nat. r.x:= i,
   inc = \l_: Unit. this.set (succ (this.get unit))};
⇒ setCounterClass: CounterRep → SetCounter

... to:

setCounterClass =
  \l r: CounterRep.
  \l this: SetCounter.
  {get = \l_: Unit. !(r.x),
   set = \li: Nat. r.x:= i,
   inc = \l_: Unit. this.set (succ (this.get unit))};
⇒ setCounterClass: CounterRep → SetCounter → SetCounter
```
Let’s continue the example by defining a new class of counter objects (a subclass of set-counters) that keeps a record of the number of times the `set` method has ever been called.

\[
\text{InstrCounter} = \{ \text{get: } \text{Unit} \rightarrow \text{Nat}, \ \text{set: } \text{Nat} \rightarrow \text{Unit}, \\
\text{inc: } \text{Unit} \rightarrow \text{Unit}, \ \text{accesses: } \text{Unit} \rightarrow \text{Nat} \};
\]

\[
\text{InstrCounterRep} = \{ x: \text{Ref Nat}, a: \text{Ref Nat} \};
\]
Using this

\[
\text{instrCounterClass} = \\
\lambda r: \text{InstrCounterRep}.
\lambda \text{this}: \text{InstrCounter}.
\quad \text{let super} = \text{setCounterClass } r \text{ this in}
\quad \{ \text{get} = \text{super.get}, \\
\quad \text{set} = \lambda i: \text{Nat. } (r.a := \text{succ}(! (r.a)); \text{super.set } i), \\
\quad \text{inc} = \text{super.inc}, \\
\quad \text{accesses} = \lambda _: \text{Unit. } ! (r.a)}; \\
\Rightarrow \text{instrCounterClass} : \\
\quad \text{InstrCounterRep} \rightarrow \text{InstrCounter} \rightarrow \text{InstrCounter}
\]

Notes:

– the methods use both \textit{this} (which is passed as a parameter) and \textit{super} (which is constructed using \textit{this} and the instance variables)

– the \textit{inc} in \textit{super} will call the \textit{set} defined here, which calls the superclass \textit{set}

– suptyping plays a crucial role (twice) in the call to \textit{setCounterClass}
More refinement …
A small fly in the ointment

The implementation we have given for instrumented counters is not very useful because calling the object creation function

\[
\text{newInstrCounter} = \\
\lambda_: \text{Unit. } \text{let } r = \{x = \text{ref } 1, a = \text{ref } 0\} \text{ in } \\
\text{fix } (\text{instrCounterClass } r);
\]

will cause the evaluator to \textit{diverge}!

Intuitively, the problem is the \textit{“unprotected”} use of \texttt{this} in the call to \texttt{setCounterClass} in \texttt{instrCounterClass}:

\[
\text{instrCounterClass} = \\
\lambda r: \text{InstrCounterRep.} \\
\lambda this: \text{InstrCounter.} \\
\text{let super} = \text{setCounterClass } r \ this \text{ in } \\
\]

...
Review: Evaluation Strategies

• The call-by-value strategy
  – only outermost redexes are reduced and where a redex is reduced only when its right-hand side has already been reduced to a value, a term that cannot be reduced any more.

\[
\begin{align*}
\text{id } \left( \text{id } \left( \lambda z. \text{id } z \right) \right) \\
\rightarrow \text{id } \left( \lambda z. \text{id } z \right) \\
\rightarrow \lambda z. \text{id } z \\
\end{align*}
\]
One possible solution

Idea: “delay” \textit{this} by putting a \textit{dummy abstraction} in front of it...

\texttt{setCounterClass} =
\lambda r: \text{CounterRep}.
\lambda \text{this}: \text{Unit} \to \text{SetCounter}.
\lambda _: \text{Unit}.
\{ \text{get} = \lambda _: \text{Unit}. \! (r.\text{register}),
\text{set} = \lambda i: \text{Nat}. \ r.\text{register} := i,
\text{inc} = \lambda _: \text{Unit}. (\text{this \ unit}).\text{set}
(succ((\text{this \ unit}).\text{get \ unit}))\};

\Rightarrow \ \text{setCounterClass}: \\
\text{CounterRep} \to (\text{Unit} \to \text{SetCounter}) \to (\text{Unit} \to \text{SetCounter})

\texttt{newSetCounter} =
\lambda _: \text{Unit}. \ \text{let r = \{x = \text{ref} \ 1\} in} \\
\text{fix (setCounterClass r) unit};
Similarly:

\[
\text{instrCounterClass} = \\
\lambda r: \text{instrCounterClass.} \\
\lambda \text{this}: \text{Unit} \rightarrow \text{instrCounter}. \\
\lambda _{\text{unit}}: \text{Unit}. \\
\quad \text{let super} = \text{setCounterClass} r \text{ this unit in} \\
\quad \{ \text{get} = \text{super.get,} \\
\quad \text{set} = \lambda i: \text{Nat.} (r.a := \text{succ}(! (r.a)); \text{super.set i}), \\
\quad \text{inc} = \text{super.inc}, \\
\quad \text{accesses} = \lambda _{\text{unit}}: \text{Unit.} ! (r.a) \};
\]

\[
\text{newinstrtCounter} = \\
\lambda _{\text{unit}}. \text{let r} = \{ x = \text{ref 1, a} = \text{ref 0} \} \text{ in} \\
\quad \text{fix (instrCounterClass r) unit};
\]
Success

This works, in the sense that we can now instantiate `instrCounterClass` (without diverging!), and its instances behave in the way we intended.
Success (?)

This works, in the sense that we can now instantiate `instrCounterClass` (without diverging!), and its instances behave in the way we intended.

However, all the “delaying” we added has an unfortunate side effect: instead of computing the “method table” just once, when an object is created, we will now re-compute it every time we invoke a method!

Section 18.12 in the book shows how this can be repaired by using references instead of `fix` to “tie the knot” in the method table.